

Comparative Forecast Evaluation of Post-Chernobyl Psychosocial Sequelae

Robert Alan Yaffee and Monnie McGee

New York University Silver School of Social Work and Southern Methodist University Department of Statistics

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1. Introduction

On April 26, 1986, a hydrogen explosion at the Chernobyl nuclear plant in Ukraine, occurred after a core meltdown following a failure of the cooling system. The catastrophic meltdown at the Chernobyl nuclear power plant was the most severe nuclear accident in the history of the nuclear power industry to date. Subsequent tests gave off radioactive isotopes for the next 10 days, covering of Ceasar 137 (¹³⁷Cs) and iodine 131 (¹³¹I), among other particulate matter. Changing weather patterns widely dispersed the contamination across Ukraine, Belarus, the Russian Federation, and much of Europe, displayed on the darker areas in the yellow maps of Figure 1 and 2.³³ Promoted exposure to radioactive fallout exposed the population to the threat of physical and psychosocial risk.



Figure 1: ¹³⁷Cs deposits in Ukraine after Chernobyl disaster³⁴



Figure 2: ¹³⁷Cs deposits in Europe and the Russian Federation after accident³⁵

a) Psycho-Social responses of Anxiety, Depression, and Civilian PTSD among Ukrainians

Early studies were epidemiological case control studies, focusing on highly exposed groups of persons.³⁶ We study the general population with longitudinal methods capable of measuring critical dimensions of observational studies.³⁷ In the 2nd anniversary of Chernobyl, a scientific forum reported the principal public health effects were psychological.^{38,39} Anxiety, depression, and civilian PTSD also reports were collected in a representative survey conducted among 702 residents in Kiev and Zhytomyr oblasts from 2009-2011. From Figure 3, we see the anxiety and depression, correlated well with highly non-correlated ($\rho = 0.15, \rho = 0.11$) suggesting their historical comorbidity. By using lagged depression and anxiety levels, we created an indicator of psychosocial distress. We treated civilian PTSD as a separate indicator and conducted the first structural time series analysis of the response of the disaster to examine external impacts.

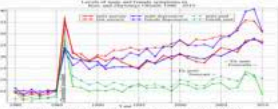


Figure 3: Male and female reports of anxiety, depression, and civilian PTSD

With the time series overlap plot (Figure 3), we found other increases of distress over time, apparently underway by external events. Our review of Ukrainian history revealed escalation of gas price spikes that erupted in 2006 and 2009 with Russia cutting off the flow of natural gas (LNG) to Ukraine. Russia had been negotiating the gas and oil supplies to transport the energy prices to cause former Soviet States from becoming too politically independent and leaving the NATO (U.S.). Ukraine as a transit hub of gas to Europe was critical to this complex energy control (Figure 4). Cooperative former border states received discounted prices, whereas others had to pay higher prices.⁴⁰



Table 1: Data from 1989-2011 when Russia manipulated gas and prices for political reasons.⁴¹



Figure 4: Gas the spikes from through Ukraine.⁴²

To include these impacts from doing so, we iterated our estimation at 2006. Hence, we added our model at the end of 2005 and partition a correlated trend over the 2006 to 2010 horizon to capture other implications how the behavior will extend through impacted Ukrainians, like the Gas Disruption which occurred with Russia's 1 work gas cut-off in 2006, which closed 90% of the Ukrainian industrial sector.^{43,44}

2. Hypotheses

- 1) The external dose of ¹³⁷Cs radiation will not significantly predict distress or PTSD among either males or females, (based on estimates of the 2008 United Nations Scientific Committee Report on the Effects).⁴⁵
- 2) The perceived risk of exposure to the effects of radiation will be a primary driver of the distress and PTSD responses.
- 3) The H0G2 entanglement hypothesis will not prove consistent with our empirical findings. If the H0G2 hypothesis is not consistent with our data, we do not have to shorten our data series to control or model it with a level-shift indicator.⁴⁶
- 4) Gas cut-offs in 2006 and 2009 are entangled with incidence of distress and PTSD reported by our respondents.⁴⁷ Using data from 1980 through 2005 to build and estimate the model avoids confounding with the impacts of these events.
- 5) Multivariate state space models will be more accurate than the LASSO- VAR models (Yaffee et al., 2014).

3. AutoMetrics test of Bromet, Havenaar, & Guey entanglement hypothesis

Table 2: IS-SIS saturation does not select SI: 1991 as level-shift with Distress as the dependent variable.

Model	Support
Model 1	0.0000
Model 2	0.0000
Model 3	0.0000
Model 4	0.0000
Model 5	0.0000
Model 6	0.0000
Model 7	0.0000
Model 8	0.0000
Model 9	0.0000
Model 10	0.0000
Model 11	0.0000
Model 12	0.0000
Model 13	0.0000
Model 14	0.0000
Model 15	0.0000
Model 16	0.0000
Model 17	0.0000
Model 18	0.0000
Model 19	0.0000
Model 20	0.0000
Model 21	0.0000
Model 22	0.0000
Model 23	0.0000
Model 24	0.0000
Model 25	0.0000
Model 26	0.0000
Model 27	0.0000
Model 28	0.0000
Model 29	0.0000
Model 30	0.0000
Model 31	0.0000
Model 32	0.0000
Model 33	0.0000
Model 34	0.0000
Model 35	0.0000
Model 36	0.0000
Model 37	0.0000
Model 38	0.0000
Model 39	0.0000
Model 40	0.0000
Model 41	0.0000
Model 42	0.0000
Model 43	0.0000
Model 44	0.0000
Model 45	0.0000
Model 46	0.0000
Model 47	0.0000
Model 48	0.0000
Model 49	0.0000
Model 50	0.0000

Table 3: IS-SIS saturation does not select SI: 1991 as a level-shift with PTSD as the dependent variable.

Model	Support
Model 1	0.0000
Model 2	0.0000
Model 3	0.0000
Model 4	0.0000
Model 5	0.0000
Model 6	0.0000
Model 7	0.0000
Model 8	0.0000
Model 9	0.0000
Model 10	0.0000
Model 11	0.0000
Model 12	0.0000
Model 13	0.0000
Model 14	0.0000
Model 15	0.0000
Model 16	0.0000
Model 17	0.0000
Model 18	0.0000
Model 19	0.0000
Model 20	0.0000
Model 21	0.0000
Model 22	0.0000
Model 23	0.0000
Model 24	0.0000
Model 25	0.0000
Model 26	0.0000
Model 27	0.0000
Model 28	0.0000
Model 29	0.0000
Model 30	0.0000
Model 31	0.0000
Model 32	0.0000
Model 33	0.0000
Model 34	0.0000
Model 35	0.0000
Model 36	0.0000
Model 37	0.0000
Model 38	0.0000
Model 39	0.0000
Model 40	0.0000
Model 41	0.0000
Model 42	0.0000
Model 43	0.0000
Model 44	0.0000
Model 45	0.0000
Model 46	0.0000
Model 47	0.0000
Model 48	0.0000
Model 49	0.0000
Model 50	0.0000

The implication is that there is no need to include a USRS collapse level-shift to model an increase of these sequelae. Nor must we add estimation earlier than we do to avert confounding of our endogenous series.⁴⁸

4. Forecasting Models

a) Multivariate state space models

Because the depression and anxiety scores were highly correlated, and that the civilian PTSD score was highly correlated with the Distress scores, we modeled by a bivariate state space model with a common local level. The model uses a diffuse process to estimate the measurement and transition equations that form part of the model. This model could be applied to both the males and females separately, which is customary in the auto-medical analysis. The model is estimated by an Augmented Kalman filter and smoother by optimizing the log likelihood of the model. Structural break and outlier detection is incorporated into the modeling process using STAMP 3.0 in O-Merits 7.0.⁴⁹

$$\begin{aligned} \text{The transition equation: } & \alpha_{t+1} = \tau \alpha_t + \Sigma_t^{-1/2} \epsilon_t \quad \text{where } \epsilon_t \sim N(0, \Sigma_t) \quad (1) \\ \text{where } & \alpha_t = \text{m} \times 1 \text{ state vector containing unknown stochastic processes and unknown fixed effects, } \tau = \text{(matrix) transition coefficient matrix, } \Sigma_t = \text{(matrix) variance matrix of } \alpha_t \text{ and } \epsilon_t, \epsilon_t = \text{(matrix) vector of errors, } \alpha_0 = \text{random mean vector analysis of mean state and (matrix) variance } \tau^{50} \end{aligned}$$

$$\begin{aligned} \text{The measurement equation: } & y_t = c_t + \tau \alpha_t + \Sigma_t^{-1/2} \eta_t \quad \text{where } \eta_t \sim N(0, I) \quad (2) \\ \text{where } & t = 1, 2, \dots, N \text{ and } 0 \leq \tau < 1, y_t = \text{vector of observed indicators, } c_t = \text{(vector) known constant vector, } \tau = \text{factor loading matrix, } \alpha_0 = \text{state vector, and } \eta_t = \text{(matrix) vector of measurement errors, } \tau = \text{(matrix) autoregressive vector.}^{51} \end{aligned}$$

The high correlation among the response variables allows for potential feedback.⁵² When the covariance matrix among the latent component is out-of-date, it is possible to make sense of their dependence on their dependence and thereby allow for such interdependence in the Kalman filtering and signal extraction. The prediction is estimated by the Kalman filter and signal extraction performed by disturbance structure. The model estimates are computed by maximum likelihood estimation of the likelihood function. Augmentation of the algorithm permits comparison of nonstationary processes.⁵³

4.b) Lasso-based variable selection for vector autoregression with exogenous variables

Robert Tibshirani developed the original LASSO algorithm in 1996.

a) Original least absolute shrinkage and selection operator (LASSO) in Equation 3.

$$\hat{\beta}_{\text{Lasso}} = \arg \min_{\beta_0, \beta_1, \dots, \beta_k} \sum_{i=1}^n (y_i - \beta_0 - \sum_{j=1}^k \beta_j x_{ij})^2 \quad (3)$$

subject to $\sum_{j=1}^k |\beta_j| \leq \tau$ where τ is a tuning parameter chosen by cross-validation.⁵⁴

b) Adaptive LASSO applies different weights to the model, as expressed in Equation 4.

$$\hat{\beta}_{\text{Adaptive}} = \arg \min_{\beta_0, \beta_1, \dots, \beta_k} \sum_{i=1}^n (y_i - \beta_0 - \sum_{j=1}^k \beta_j x_{ij})^2 \quad (4)$$

subject to $\sum_{j=1}^k \omega_j |\beta_j| \leq \tau$, where $\omega_j = |x_j|^{-p}$, $0 < p < 1$.

c) Weighted lagged adaptive LASSO least absolute shrinkage and selection operator (WLAdLASSO) in Equation 5.⁵²

$$\hat{\beta}_{\text{WLAdLASSO}} = \arg \min_{\beta_0, \beta_1, \dots, \beta_k} \sum_{i=1}^n (y_i - \beta_0 - \sum_{j=1}^k \beta_j x_{ij})^2 \quad (5)$$

subject to $\sum_{j=1}^k \omega_j |\beta_j| \leq \tau$, where $\omega_j = |x_j|^{-p} \exp(-\lambda |x_j|)$, $\lambda \geq 0$

and $l = \text{lag order (1 and 2)} \text{ were tested.}^{51}$

d) The 5-fold cross-validation was conducted owing to the 25-30 observation length.

5. Forecasts

a) Multivariate state space models

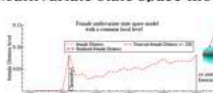


Figure 3: Male multivariate state space model with common local level

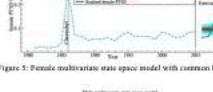


Figure 4: Female multivariate state space model with common local level

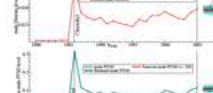


Figure 5: Male multivariate state space model with common local level

b) Multivariate state space parameter estimates

Table 4. Distress models

	Female, $R^2 = 0.919$			Male, $R^2 = 0.964$		
	Coefficient	RMSSE	Prob.	Coefficient	RMSSE	Prob.
Chernobyl Incident	0.049	0.004	0.790	0.000	0.000	0.000
Level Break 1968	0.015	0.004	4.018	0.001	0.001	0.001
Perceived Risk	0.027	0.005	4.793	0.003	0.003	0.003

Table 5. PTSD models

	Female, $R^2 = 0.919$			Male, $R^2 = 0.968$		
	Coefficient	RMSSE	Prob.	Coefficient	RMSSE	Prob.
Chernobyl Incident	0.049	0.004	0.790	0.000	0.000	0.000
Level Break 1968	0.015	0.004	4.018	0.001	0.001	0.001
Perceived Risk	0.027	0.005	4.793	0.003	0.003	0.003

c) Lasso-VAR model coefficients after shrinkage

Table 6 Distress response model coefficients

	LASSO	Adaptive LASSO	WT LASSO (lag = 1)	WT LASSO (lag = 2)
Male	0.000	0.000	0.000	0.000
Female	0.000	0.000	0.000	0.000

Table 7 PTSD response model coefficients

	LASSO	Adaptive LASSO	WT LASSO (lag = 1)	WT LASSO (lag = 2)
Male	0.000	0.000	0.000	0.000
Female	0.000	0.000	0.000	0.000

6. Hypothesis test results

- 1) The reconstruced average male or female external dose was not selected as an explanatory variable in any of our models. This is consistent with expectations.
- 2) The perceived male and female risk of Chernobyl related health effects was found to be a significant primary explanatory variable in all state space models. It was only selected by the Distress Weighted Lagged Lasso algorithm with $\text{lag}=1$ and 2. This may reflect the inappropriate use of original and adaptive LASSO with time series data.
- 3) AutoMetrics with IS-SIS saturation did not retain a step-indicator (SI1991) in any gender-specific model of Distress. Nor did it select a such a level-shift in the male or female AutoMetrics model of PTSD. In support of this finding, the Lasso-based selection algorithm did not retain the 1991 level-shift trend in either male and female models. Hence, we found no overt empirical evidence for measurable entanglement of perceived Distress or PTSD with the collapse of the U.S.S.R. in other of those different variable selection algorithms.
- 4) Russian gas cut-offs in Ukraine in 2009 and 2009 are reflected in a rise in the Russian women in 2006. For men, there is a spike of 12 months before their distress increases. For male PTSD, there is a slight decline for a year before it PTSD begins to increase.⁵⁵
- 5) All multivariate state space models selected the impact of Chernobyl, perceived health risks of Chernobyl-related accident, and a positive lagged effect 1991 distress on significant explanatory variables as significant explanatory variables; they appear to be more consistent to variable selection than LASSO-based variable selection models.

7. Conclusions

The graphs that compare the pre and post forecast are available on request. Our expectations from Hypothesis 1 that the reconstruced average male or female external dose was not significant is consistent with these findings. This variable was not retained by either algorithm as statistically significant.

Hypothesis 2 was consistent with the data for the state space models and with the WT LASSO with $\text{lag}=1$ and 2, and this is the version that should work best with time series. After generalized our post forecast over a 1989-2005 horizon, that became the training segment. However, our main objective was to obtain a scenario after forecast evaluation over a 2005 through 2010 forecast horizon. Although (BIO) argued that the psychological effects of the Chernobyl disaster experienced by Ukrainians were increasingly mitigated with the collapse of the U.S.S.R., we used two different algorithms of variable selection and retention to test this proposition with a step-indicator (SI1991). Neither algorithm retained this variable, regardless of gender of the respondent. The direct implication is that we therefore did not have to include a USRS collapse dummy indicator for the male models to have been properly modeled. Nor did we have to truncate our estimation period in 1991 in order to avoid confounding our endogenous variables with external volatility. IC or BIO indicated these psychological sequelae might be subclinical or latent; they should nonetheless be related to this 1991 step-indicator of the USRS, although. Although their advances might discourage some investigators to focus their attention on this area, this area might be a fertile ground for inquiry if external threats can be controlled for in a longitudinal analysis.

Hypothesis 4 is confirmed by the female data, exhibiting an increase in Distress in 2006. The male models exhibit a year delay in the same indicators of distress.

Hypothesis 5 suggests that LASSO methods depend on a tuning parameter that is a function of the data size and magnitude. State space models appear to be more consistent to variable selection than the MAPE criterion. To evaluate the forecast accuracy, we use the mean absolute error (MAE) and the systematic mean absolute percentage error (SMAPE) of the scenario forecast in Table 6. Ideal we used the mean square error variance, the possible existence of structural breaks—such as outliers or level-shifts—could inflate such error criteria. Also, the mean absolute percentage error is scale dependent. If the initial initial values are tiny, the percent error change is inflated by the small initial size. Although there are several versions of the SMAPE, we use the version in Equation 6 and the standard version of MAE in Equation 7, with α = actual, β = forecast, and T = total.

$$MAE = \frac{1}{T} \sum_{t=1}^T |y_t - \hat{y}_t| \quad (6)$$

$$SMAPE = \frac{1}{T} \sum_{t=1}^T \frac{|y_t - \hat{y}_t|}{\frac{y_t + \hat{y}_t}{2}} \quad (7)$$

According to the results listed in Table 8, the more accurate results for the criterion of choice is listed in red. The SMAPE criterion reveals that the State Space is more accurate in estimating the scenario forecast for PTSD, regardless of the gender. The MAE criterion readily suggests the same conclusion. For the Distress models, the LASSO-VAR may be the more accurate of the two algorithms. When the State Space achieves more accurate estimates, its forecasts are more often more accurate than those of the LASSO-VAR.

Table 8: SMAPE and MAE evaluations of the Scenario forecasts

Forecast	MAE	SMAPE
Male State Space	0.000	0.000
Male LASSO-VAR	0.000	0.000
Female State Space	0.000	0.000
Female LASSO-VAR	0.000	0.000

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